

The Semantics of $R\bar{A}$:

Let's be more specific!

Masoud Jasbi
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- In Farsi, **Rā** provides the **existence presupposition**.
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- Rā's existence presupposition is compatible with indefinites.

Previously on $R\bar{A}$...

1. Specific

- Epistemic (Karimi, 1990)
- Scopal

2. Definite

(Mahootian, 1997), among others

3. Existentially Presupposed

- Topical (secondary) (Dabir-Moghaddam, 1992; Dalrymple and Nikolaeva, 2011)
- Identifiable (Shokouhi and Kipka, 2003)
- Partitively Specific (Karimi, 1999, 2003)
- Existentially Presupposed (Ghameshi, 1996)

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Defining the Primitives

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A nominal implies EXISTENCE if it denotes a nonempty set ($|\llbracket \text{NP} \rrbracket| \geq 1$).

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COMMON GROUND is the mutually recognized shared information between the speaker(s) and the addressee(s). (Stalnaker, 1978)

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An implication is PRESUPPOSITIONAL if it is entailed or implied by the COMMON GROUND.

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A nominal that **presupposes** the **existence** and **uniqueness** of its descriptive content is DEFINITE. (Russell, 1905; Strawson, 1950)

Definition

A nominal that **presupposes** the **existence** of its descriptive content is EXISTENTIALLY PRESUPPOSED.

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Hypothesis Space

	$ \text{NP} =$	0	1	2+
Common Ground Status	Presupposed		Definite	Existentially Presupposed
	At-issue		Specific	Indefinite

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Which hypothesis best covers the \bar{r}_a data?

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Types of Specificity (Farkas, 1994)

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- Specific := Unique, fixed referent.
1. Epistemic: the speaker has a fixed referent in mind.
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 2. Scopal: the referent is fixed with respect to other semantic operators (wide scope).
- Neither work for $\bar{r}\bar{a}$.

Epistemic Specificity

- $R\bar{a}$ appears on nominals that are not epistemically specific.
($R\bar{a} \not\Rightarrow$ Epistemically Specific)

Epistemic Specificity

- Rā appears on nominals that are not epistemically specific.
(Rā \nrightarrow Epistemically Specific)

Example

- (1) Context: My three-year-old cousin takes my phone and accidentally deletes a picture. I see that my pics are 99 instead of 100 but I don't know which picture is deleted:

ne-mi-dun-am kodum aks-o in bache pāk karde
NEG-MI-know-1.SG which pic-OM this kid clean do.PST.3.SG

“I don't know which picture this kid has deleted.”

Epistemic Specificity

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Example

- (2) Context: There are some plates on the table.

ye boshqāb-o be-de
ID plate-OM give

“Give me a plate!”

- Epistemically specific referents can appear without $R\bar{a}$.
(Epistemically Specific $\nrightarrow R\bar{a}$)

Epistemic Specificity

- Epistemically specific referents can appear without Rā.
(Epistemically Specific \nrightarrow Rā)

Example

- (3) diruz ye xune did-im tu Fereshteh
yesterday ID house see.PST-3.PL in Fereshteh
“We saw a house in Fereshteh yesterday.”

Scopal Specificity

- $R\bar{a}$ appears on nominals that are not scopally specific (are not wide scope).
($R\bar{a} \not\Rightarrow$ Scopally Specific)

Scopal Specificity

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Example

- (4) Context: Dance Class; Equal number of girls and boys. Boys have to choose partners.

har pesar-i **ye** doxtar-o entexāb kard
each boy-IC ID girl-OM choose do.PST-3.PL

“Every boy chose a girl.” ($\forall > \exists$)

Scopal Specificity

- Rā appears on nominals that are not scopally specific (are not wide scope).
(Rā \nrightarrow Scopally Specific)

Example

- (5) Context: Maryam has three job offers. She has to pick one by tomorrow.

mi-xād ye kār-o tā fardā qabul kon-e vali
MI-want3.SG ID job-OM until tomorrow accept do.PST-3.PL but
hanu ne-mi-dun-e kodum-o
yet NEG-MI-know-3.SG which-OM

“She wants to accept a job by tomorrow but she still doesn’t know which” (WANT > \exists)

Scopal Specificity

- Scopally specific referents can appear without $R\bar{a}$.
(Scopally Specific $\nrightarrow R\bar{a}$)

Example

- (6) Context: A Boring Restaurant where everyone always orders burgers. The waiter says:

inja hame hamishe **ye** qazā sefāresh midan
here each boy-IC ID girl choose do.PST-3.PL

“Everyone always orders the same food here.” ($\exists > \forall > \forall$)

Scopal Specificity

- Generally, hard to find a correlation between scope and object marking.

Example

(7) Context: Dance Class.

hame-ye pesar-ā **ye** doxtar-o dust dār-an
all-EZ boy-PL ID girl-OM friend have.PST-3.PL

“All the boys love some girl.” ($\forall > \exists$)

“There is a girl that all the boys love.” ($\exists > \forall$)

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		$ [NP] =$	0	1	2+
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	At-issue			Specific	Indefinite

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(8) Context_{E+U+} : There is a room. Ali goes in. There is a mouse.

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- a. mush-o mi-bin-e
mouse-OM MI-see-3.SG
“He sees the mouse.”
- b. # **ye** mush-o mi-bin-e
ID mouse-OM MI-see-3.SG
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- \emptyset -NP-rā presupposes uniqueness.

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- Since definites presuppose existence AND uniqueness, rā cannot be a definiteness marker.

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- \emptyset -NP-rā presupposes uniqueness.
- ye-NP-rā does not presuppose uniqueness.
- Since definites presuppose existence AND uniqueness, rā cannot be a definiteness marker.
- **Rā can presuppose existence and be half of definiteness!**

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Context $_{E+U-}$: There is a room. Ali goes in. There are two mice.

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Context_{E+U-}: There is a room. Ali goes in. There are two mice.

- (10) a. # **ye** mush mi-bin-e
ID mouse MI-see-3.SG
“He sees a mouse.”
- b. **ye** mush- mi-bin-e
ID mouse-OM MI-see-3.SG
“He sees a mouse.”

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Context $_{E-U}$: There is a room. Ali goes in.

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Context_{E-U}: There is a room. Ali goes in.

- (11) a. **ye** mush mi-bin-e
ID mouse MI-see-3.SG
“He sees a mouse.”
- b. # **ye** mush- mi-bin-e
ID mouse-OM MI-see-3.SG
“He sees a mouse.”

Presupposed Existence

Example

Context_{E-U}: There is a room. Ali goes in.

- (11) a. **ye** mush mi-bin-e
ID mouse MI-see-3.SG
“He sees a mouse.”
- b. # **ye** mush-o mi-bin-e
ID mouse-OM MI-see-3.SG
“He sees a mouse.”

- *rā* presupposes the existence of its descriptive content.

Prediction: Denying the Existence

- Explicitly denying the existence presupposition results in infelicity.

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Example

- (12) Ali emruz kār-i na-dāsht vāse hamin kār-i anjām
Ali today work-IC NEG-have.PST for this work-IC finish
na-dād
NEG-give.PST.3SG
“Today Ali didn’t have anything to do so he didn’t do anything.”

Prediction: Denying the Existence

- Explicitly denying the existence presupposition results in infelicity.

Example

- (13) # Ali emruz kār-i na-dāsht vāse hamin kār-i-ro
Ali today work-IC NEG-have.PST for this work-IC-OM
anjām na-dād
finish NEG-give.3SG
“Today Ali didn’t have anything to do so he didn’t do anything.”

Prediction: Denying the Existence

- Explicitly denying the existence presupposition results in infelicity.

Example

- (14) Ali emruz xeyli kār dāsht vali kār-i-ro anjām
Ali today very work have.PST but work-IC-OM finish
na-dād
NEG-give.3SG
“Ali had a lot of work to do but he didn’t do any of them.”

Example

- (15) a. Ali Saburi mi-shnās-i?
Ali Saburi MI-know-2SG
“Do you know anyone named Ali Saburi?”
- b. Ali Saburi-ro mi-shnās-i?
Ali Saburi-OM MI-know-2SG
“Do you know Ali Saburi?”

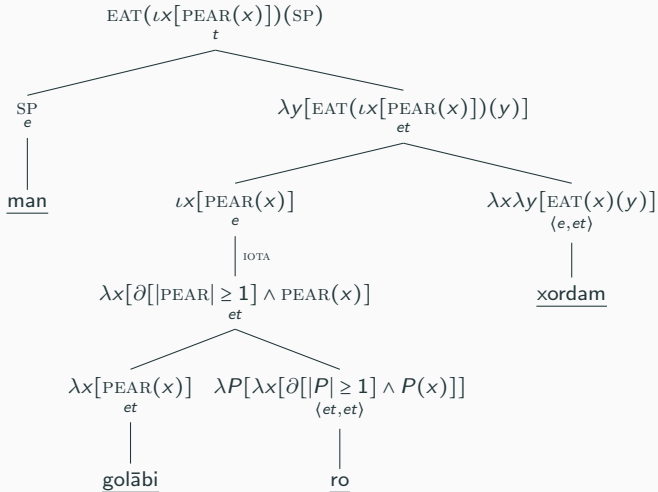
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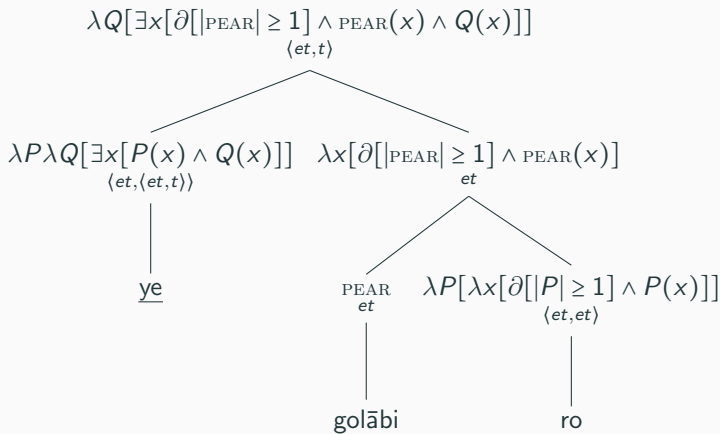
Lexical Entry for $R\bar{a}$

$$\underline{r\bar{a}} \rightsquigarrow \lambda P[\lambda x[\partial[|P| \geq 1] \wedge P(x)]]$$

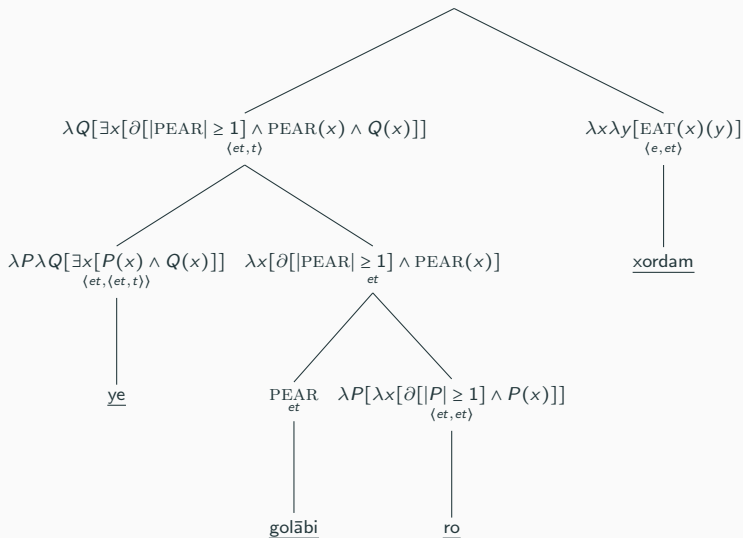
Deriving a Definite



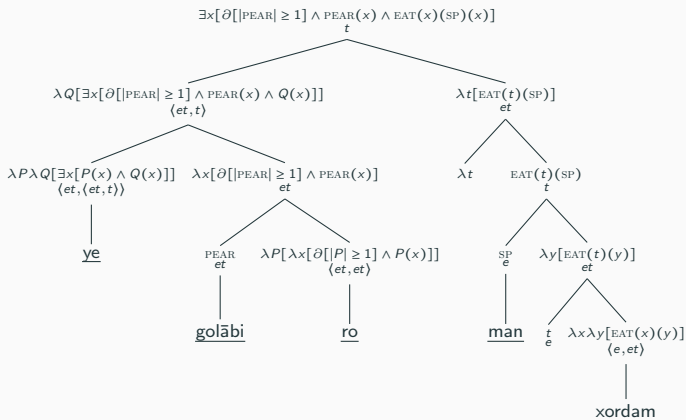
Deriving a Rā-marked Indefinite



Deriving a Rā-marked Indefinite



Deriving a Rā-marked Indefinite



Conclusion

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- The semantic contribution of $r\bar{a}$ is best described as an existential presupposition.
- To avoid confusion, it might be better to not use the term “specificity” for $r\bar{a}$.
- $R\bar{a}$'s existence presupposition provides half of definiteness.
- The other half is provided by the absence of indefinite marking.
- $R\bar{a}$'s existence presupposition is compatible with indefinites.

Thank You!

- Special thanks to:
 - Cleo Condoravdi for continued help and support with this project.
 - James Collins, Paul Kiparsky, Eve Clark, and Chris Potts.

Example

- (16) a. **ye** mard-o yā zan-o barā in kār moarefi kon-id
ID man-OM or woman-OM for this job introduce do-2.PL
“Introduce a man or a woman for this job.”

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